# Announcement for the 2nd Edition of the ACTEX Manual for Exam ALTAM

(Last updated 11/27/2024) sorted by page

#### Page 10 First Table.

Change 7.379389331/4 to 73.79389331/4 = 54.00650633; change 7.565874063/4 to 75.65874063/4.

- Page 186 Example 4.2. 2nd line. Change  $\mu^{11} = 0.03$  to  $\mu^{12} = 0.03$ .
- Page 274 Exercise 5.1.

(vi) should not have deferred notation. It reads (vi)  $_2q_{63}^{(2)} = 0.600$ 

## Page 311 Section 6.1. 3rd line from the bottom.

Formula for continuous temporary joint life insurance,  $f_{xy}(t)(\mu_{x+t}+\mu_{y+t})$ ,  $(\mu_{x+t}+\mu_{y+t})$  should be dropped. It reads  $\bar{A}_{xy;\overline{n}|}^{1} = \int_{0}^{n} v^{t} f_{xy}(t) dt$ .

## Page 567 Mock Test 3, Solution to Question 2(a)

The solution shows notation for second contingent insurance on (x), but it should be on (y) i.e.  $E(Z_2) = \bar{A}_{xy;\overline{n}}^2$ .

## Page 567 Mock Test 3, Solution to Question 2(b)

The solution shows notation for first contingent insurance on (x), but it should be on (y). So the mean is  $\bar{A}_{xw,\overline{m}}^{-1}$ .

## Page 569 Mock Test 3, Solution to Question 6.(b).

Change the bottom line to:

 $P_5 = P \times 0.97^5 \times (0.95 \times 0.97^{-5} e^{-0.05 \times 5} \times 0.477307 - 0.291555) = 0.102773P.$ 

## Page 574 Mock Exam 4, Question 4(b)

(b)(ii) Change the question as follows: "... funding method is 220,500 to the nearest 100."

## Page 580 Mock Exam 4, Solution to Question 4(c)

- (c)(i) Change the number 104,867.7 in the denominator to 104,687.7, and the first number in 316,385.3169 in () line 4 to 316,079.7137. Change also the final answer to 186,540.35.
- (c)(ii) The final answer should read 13,281.7.

It reads:

(i) The average of past three years of salaries is  

$$B_{55} = 50000 \times \frac{1+1.03^{-1}+1.03^{-2}}{3} \times 1.6\% \times 25 = 19,423.1313, \text{ and thus}$$

$$AL_{55} = B_{55} \cdot \frac{d_{60-}^{(r)}}{l_{55}^{(\tau)}} \cdot v^5 \ddot{a}_{60}^{(12)} + B_{55} \cdot \frac{d_{60+}^{(r)}}{l_{55}^{(\tau)}} \cdot v^{5.5} \ddot{a}_{60.5}^{(12)} + B_{55} \cdot \frac{d_{61}^{(r)}}{l_{55}^{(\tau)}} \cdot v^6 \ddot{a}_{61}^{(12)}$$

$$= \frac{B_{55}}{104,687.7} (316,079.7137 + 67,749.26511 + 621,594.8911)$$

$$= 186,540$$

(ii) 
$$vp_{55}^{(\tau)}AL_{56} = \frac{26}{25} \times 1.03AL_{55}$$
  
Hence  $NC_{55} = vp_{55}^{(\tau)}AL_{56} - AL_{55} = \left(\frac{26 \times 1.03}{25} - 1\right)AL_{55} = 13,281.7.$