

ERRATA
SOLUTIONS TO
INTRODUCTION TO RATEMAKING AND LOSS RESERVING
FOR PROPERTY AND CASUALTY INSURANCE
Third Edition

Page 51, Exercise 5.12

The solutions should be:

- (b) Since Expense ratio is 30%. Maximum loss ratio before reinsurance is 70% (100% - 30%). It wants to protect itself against the 20% probability of an \$8M loss year.

Expected Losses before reinsurance:

$$\begin{array}{rcl} \$5\text{M} \times 20\% & = & \$1.0\text{M} \\ 6\text{M} \times 20\% & = & 1.2 \\ 7\text{M} \times 40\% & = & 2.8 \\ 8\text{M} \times 20\% & = & 1.6 \\ \text{Total} & = & \$6.6\text{M} \end{array}$$

Since the Losses (\$6.6M) + Expenses (\$3.0M) = \$9.6M, \$400,000 is left to buy reinsurance. \$400,000 of reinsurance premium would reduce its net premium to \$9,600,000.

If Value reinsures to stop-loss at 70% then instead of \$7M losses (70% loss ratio) 40% of the time, it's net losses will be \$7M 60% of the time (40% + 20%) since the reinsurer will pay the excess over \$7M

$$\begin{array}{rcl} \$5\text{M} \times 20\% & = & \$1.0\text{M} \\ 6\text{M} \times 20\% & = & 1.2 \\ 7\text{M} \times 60\% & = & 4.2 \\ \text{Total} & = & \$6.4\text{M} \end{array}$$

Therefore

- (c) The loss ratio before reinsurance is:

$$\$6,600,000 / \$10,000,000 = 66.0\%$$

And after reinsurance is

$$\$6,400,000 / (\$10,000,000 - \$400,000) = 66.7\%$$

(d) The reinsurer has a 20% probability of paying \$1,000,000 (\$8M - \$7M), so its expected losses are \$200,000 and its expected loss ratio is (assuming Value pays its maximum reinsurance premium):

$$\$200,000 / \$400,000 = 50.0\%$$

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